

Name: _____

Key

Date: _____

Block: _____

FOM 10 Linear – Chapter 8 Practice Test**/40**

$$\begin{matrix} O \\ S \end{matrix} \frac{O}{H} C \frac{A}{H} T \frac{O}{A}$$

$$a^2 + b^2 = c^2$$

* Check Calc.
in DEGREE Mode.

/1 Correct Units and Rounding (1 mark)**Notes/Steps****Each question is written response. Show all of your work.**

1. Find each ratio to four decimal places using a calculator:

(0.5 marks each)

Just type it
in. ☺

a) $\sin 37^\circ = 0.6018$

b) $\cos 68^\circ = 0.3746$

c) $\tan 18^\circ = 0.3249$

/3

2. Find the measure of each angle θ to one decimal place

(0.5 marks each):

use \sin^{-1}
 \cos^{-1}
 \tan^{-1}

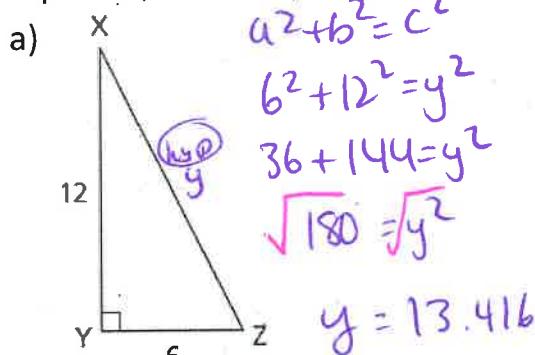
Careful rounding!

next place

01234 /56789
"keep" round up

Pythag:
use $a^2 + b^2 = c^2$
to find hyp

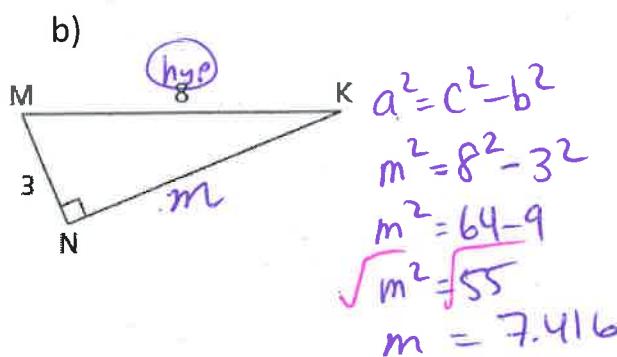
3. Use Pythagoras to find the measure of the missing side to one decimal place. (2 marks each)



$$y = 13.4$$

/4

Can use hyp!
 $a^2 = c^2 - b^2$
↑ to find a short side



$$m = 7.4$$

/7

To find a
SIDE:

① Stand at
given angle.

Label

OPP/ADJ/HYP.

② decide if
you need
 \sin^A / \cos^A / \tan^A
or or

③ Write formula

④ Fill in
Knowns
(2 of 3)

⑤ Solve for
missing
side.

* If x on top,
MULTIPLY.

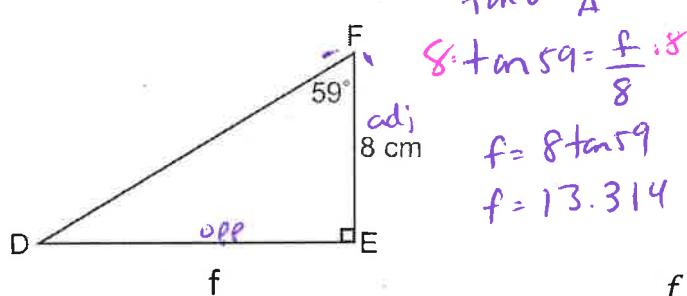
* If x on bottom,
switch x with
 $\sin/\cos/\tan$ and
divide.

⑥ Remember
rounding
and
units.
* Careful!

4. Determine the measure of the indicated **side** in each triangle.

Round to the nearest tenth. (2 marks each)

a)



$$\tan \theta = \frac{O}{A}$$

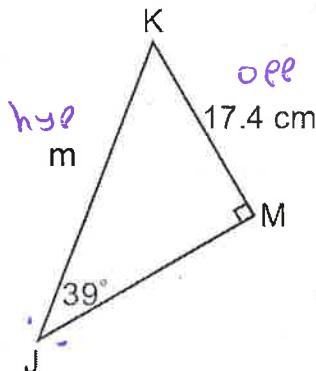
$$8 \cdot \tan 59^\circ = \frac{f}{8} \cdot 8$$

$$f = 8 \tan 59^\circ$$

$$f = 13.314$$

$$f = \underline{13.3 \text{ cm}} \checkmark$$

b)



$$\sin \theta = \frac{O}{H}$$

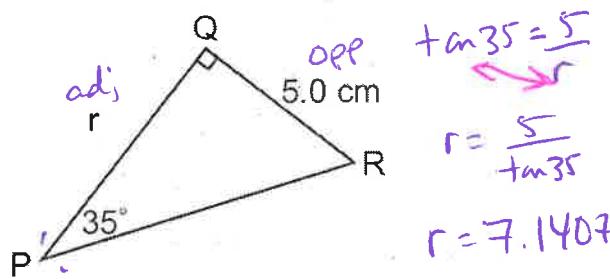
$$\sin 39^\circ = \frac{17.4}{m}$$

$$m = \frac{17.4}{\sin 39^\circ}$$

$$m = 27.6488$$

$$m = \underline{27.6 \text{ cm}} \checkmark$$

c)



$$\tan \theta = \frac{O}{A}$$

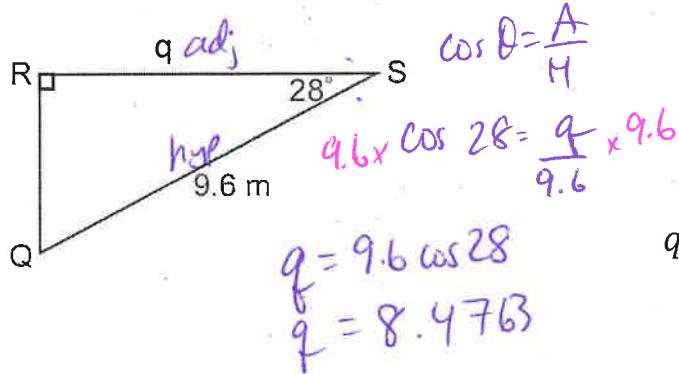
$$\tan 35^\circ = \frac{5}{r}$$

$$r = \frac{5}{\tan 35^\circ}$$

$$r = 7.1407$$

$$r = \underline{7.1 \text{ cm}} \checkmark$$

d)



$$\cos \theta = \frac{A}{H}$$

$$9.6 \cdot \cos 28^\circ = \frac{q}{9.6} \cdot 9.6$$

$$q = 9.6 \cos 28^\circ$$

$$q = 8.4763$$

$$q = \underline{8.5 \text{ m}} \checkmark$$

Notes/Steps

Each question is written response. Show all of your work.

To find
an ANGLE:

① Stand at
MISSING
angle.
Label
opp/adj/hyp.

② decide
 $S\theta$ | $C\theta$ | $T\theta$
or

③ Write
formula

④ Fill in knowns
(2 of 3)

⑤ Solve for
missing
angle
(use \square^{-1})

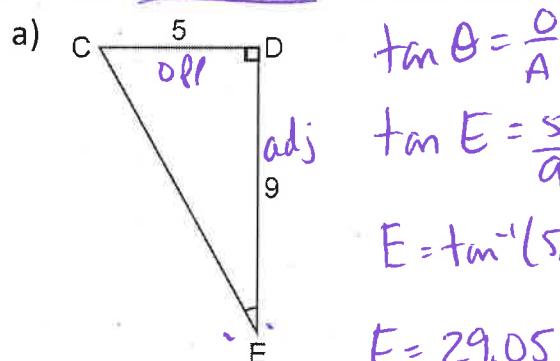
[2nd] or [Shift]

button for
 \sin^{-1}
 \cos^{-1}
 \tan^{-1}

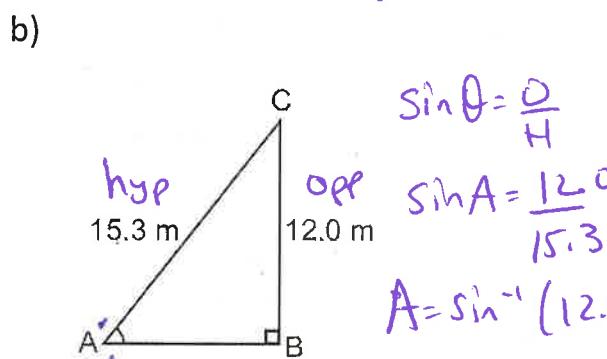
⑥ Check
rounding
and
units.

5. Determine the measure of the indicated angle in each triangle.

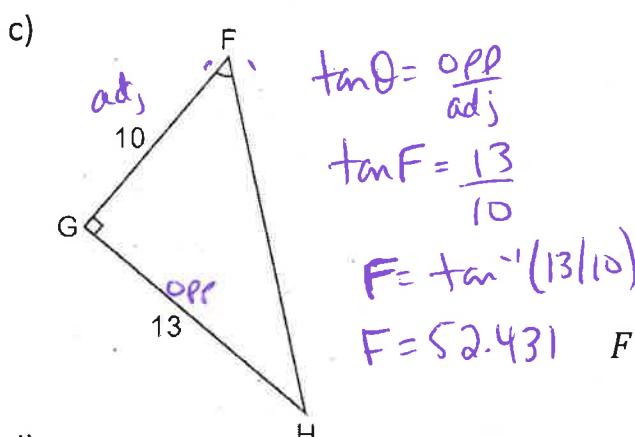
Round to the nearest tenth. (2 marks each)



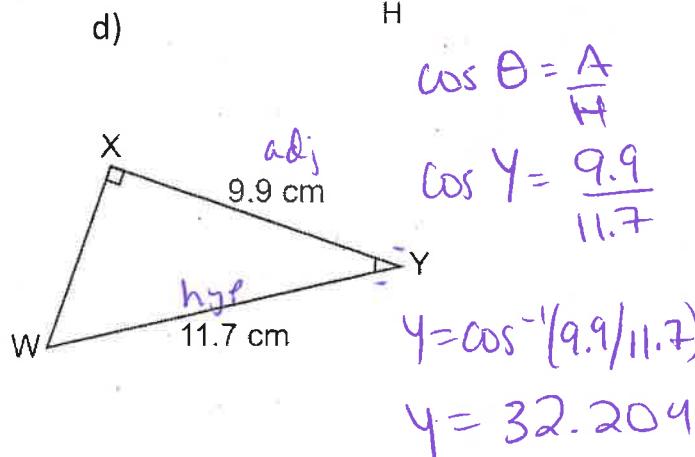
$$E = 29.1^\circ \checkmark$$



$$A = 51.7^\circ \checkmark$$



$$F = 52.4^\circ \checkmark$$



$$Y = 32.2^\circ \checkmark$$

Notes/Steps

Solve =
find all 3
angles &
all 3 sides.

① List all
known
values.

Remember -
sides & angles
across from each other
have same letter!
(Put in units for
unknowns so you
don't forget :))

② If you have
2 angles, find
3rd with
 $180^\circ - 90^\circ - \text{angle}$.

If you have
2 sides, use
Pythagoras
to get 3rd.

③ Find
remaining
missing pieces
by using
 $\sin C / A \tan A$.

④ Remember
units and
rounding.

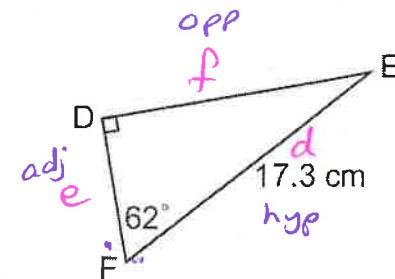
⑤ Use original
info when
possible.

Each question is written response. Show all of your work.

6. Solve the following triangles to one decimal place: (3 marks each)

a)

$\angle D = 90^\circ$	$d = 17.3 \text{ cm}$
$\angle E = 28^\circ$	$e = 8.1 \text{ cm}$
$\angle F = 62^\circ$	$f = 15.3 \text{ cm}$



$$\boxed{E} \quad 180^\circ - 90^\circ - 62^\circ = 28^\circ$$

$$\boxed{e} \quad \cos \theta = \frac{\text{adj}}{\text{hyp}}$$

$$17.3 \times \cos 62^\circ = \frac{e}{17.3} \times 17.3$$

$$e = 17.3 \cos 62^\circ$$

$$e = 8.1219$$

$$\boxed{f} \quad \sin \theta = \frac{\text{opp}}{\text{hyp}}$$

$$17.3 \times \sin 62^\circ = \frac{f}{17.3} \times 17.3$$

$$f = 17.3 \sin 62^\circ$$

$$f = 15.274$$

b)

$\angle A = 90^\circ$	$a = 19.2 \text{ cm}$
$\angle B = 50.5^\circ$	$b = 14.8 \text{ cm}$
$\angle C = 39.5^\circ$	$c = 12.2 \text{ cm}$

$$\boxed{b} \quad a^2 = c^2 - b^2$$

*Careful. In this Δ ,
c is not the hyp.

$$b^2 = 19.2^2 - 12.2^2$$

$$\sqrt{b^2} = \sqrt{219.8}$$

$$b = 14.825$$

$$\boxed{B} \quad \cos \theta = \frac{\text{adj}}{\text{hyp}}$$

$$\cos B = \frac{12.2}{19.2}$$

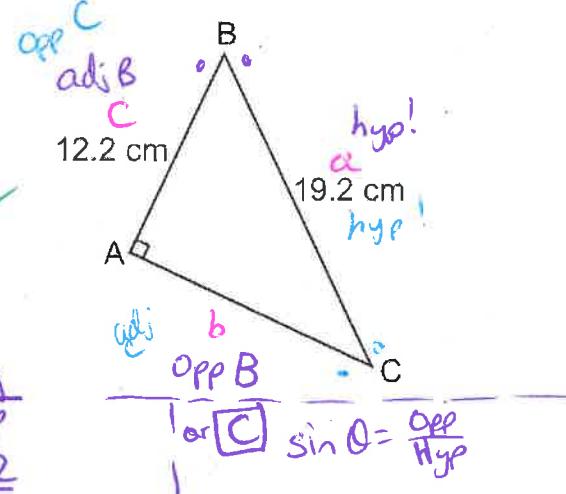
$$B = \cos^{-1}(12.2/19.2)$$

$$B = 50.549$$

$$B = 50.5$$

$$\boxed{C} = 180^\circ - 90^\circ - 50.5^\circ$$

$$= 39.5^\circ$$



$$\sin C = \frac{12.2}{19.2}$$

$$C = \sin^{-1}(12.2/19.2)$$

$$C = 39.5$$

$$\boxed{B} = 180^\circ - 90^\circ - 39.5^\circ$$

$$= 50.5$$

Notes/Steps

Each question is written response. Show all of your work.

Draw a picture!
Read carefully.

Make a note of different "types" of problems we have seen -

Remember units, rounding, sentence.

7. A ladder leans against a wall. The base of the ladder is on level ground 3.6m from the wall. The angle between the ladder and the ground is 72° . How far up the wall does the ladder reach, to the nearest tenth of a metre? (2 marks)

$$\tan \theta = \frac{\text{opp}}{\text{adj}}$$

$$3.6 \tan 72 = \frac{x}{3.6}$$

$$x = 3.6 \tan 72$$

$$x = 11.0796$$

Sentence answer:

The ladder reaches 11.1m up the wall.

8. A rope that anchors a hot air balloon to the ground is 117m long. The balloon is 79m above the ground. What is the angle of elevation of the rope to the nearest tenth of a degree? (2 marks)

$$\sin \theta = \frac{\text{opp}}{\text{hyp}}$$

$$\sin \theta = \frac{79}{117}$$

$$\theta = \sin^{-1}(79/117)$$

$$\theta = 42.4707$$

Sentence answer:

The angle of elevation of the rope is 42.5°.

Notes/Steps

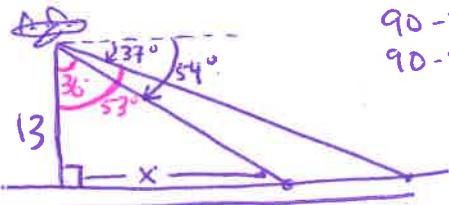
Each question is written response. Show all of your work.

Identify
a plan
(may include
multiple Δ s
or parts of
a Δ).

Make
sure you
only
use
SOHCAHTOA
on RIGHT
triangles.

Write down
"plans" for
different
types of
problems we've
seen!

9. A passenger in an airplane flying at an altitude of 13 km spots two cities directly to the right. The angle of depression to the towns are 37° and 54° . How far is it between the two cities? (3 marks) (nearest tenth)

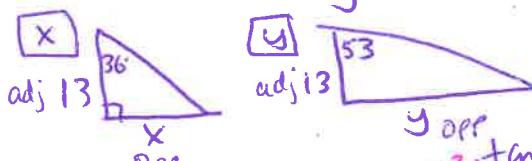


$$90 - 37 = 53$$

$$90 - 54 = 36$$

Plan: Distance between
is $y - x$.

$$\begin{aligned} y - x &= \frac{y}{\tan 36} - \frac{x}{\tan 54} \\ &= 17.252 - 9.445 \\ &= 7.8065 \end{aligned}$$



$$13 \cdot \tan 36 = \frac{x}{13}$$

$$x = 13 \cdot \tan 36 = 9.445$$

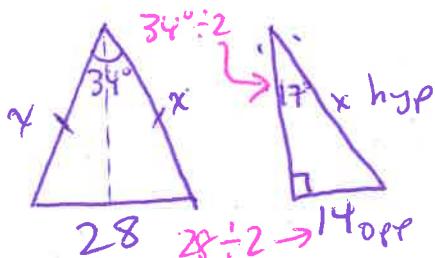
$$13 \cdot \tan 53 = \frac{y}{13}$$

$$y = 13 \cdot \tan 53$$

Sentence answer:

The cities are 7.8 Km apart.

10. An isosceles triangle has a base of 28 in. If the two equal sides meet at an angle of 34° , how long are they? (3 marks) (Nearest Inch)



$$\sin \theta = \frac{\text{opp}}{\text{hyp}}$$

$$\sin 17^\circ = \frac{14}{x}$$

$$x = \frac{14}{\sin 17}$$

$$x = 47.884.$$

Sentence answer:

Each of the two equal sides
measure 48 inches.